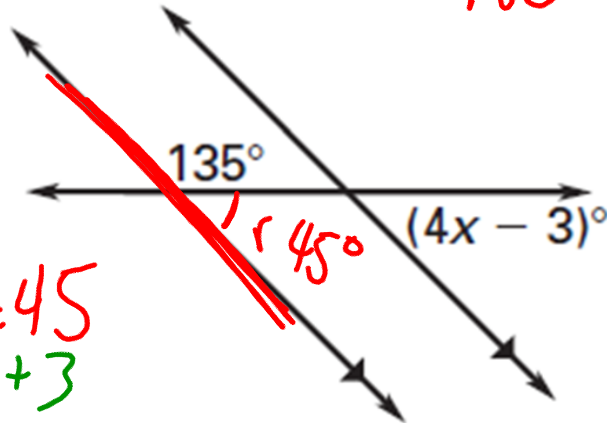


Warm up: What value of  $x$  will make the lines parallel?

$$x = 12$$

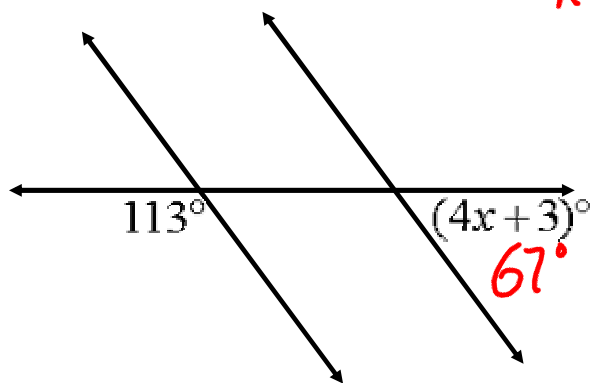
$$180 - 135 = m\angle r$$

$$\angle r = 45^\circ$$



$$\begin{array}{r} 4x - 3 = 45 \\ +3 \quad +3 \\ \hline 4x = 48 \\ \underline{4} \quad \underline{4} \end{array}$$

Warm up: What value of  $x$  will make the lines parallel? Why?



$$x = 16$$

$$67^\circ$$

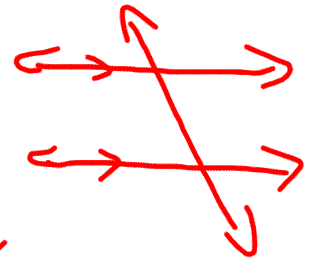
### **3.3: Proving Lines Parallel**

Target 3E Apply angle pair relationships

Review of things we know about parallel lines.

If lines are parallel then....

- Alternate Interior angles are  $\cong$
- Corresponding angles are  $\cong$
- Alternate Exterior angles are  $\cong$
- Consecutive Interior angles are } SUPPLEMENTARY
- Consecutive Exterior angles are }  $= 180^\circ$



So when lines are parallel, then we have sets of congruent and supplementary angles...

What about the converse???

If Alternate Interior Angles are  $\cong$

or

Alternate Exterior Angles are  $\cong$

or

Consecutive Interior/Exterior Angles are

or

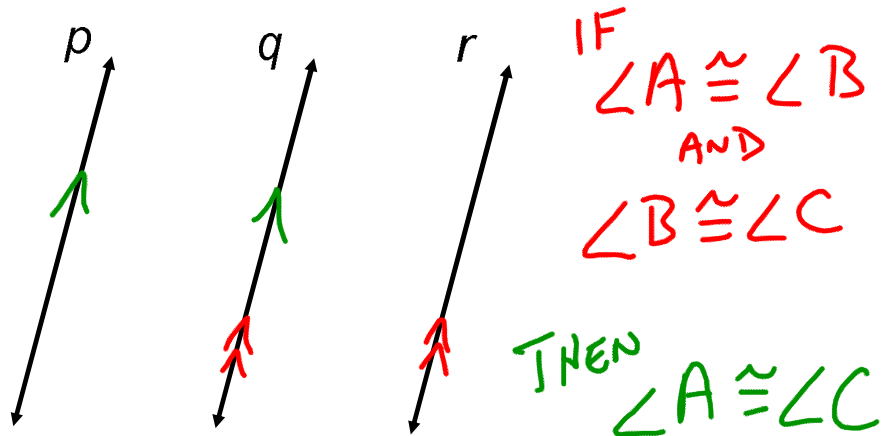
Corresponding angles are  $\cong$

SUPPLEMENTARY

Then the lines are Parallel.

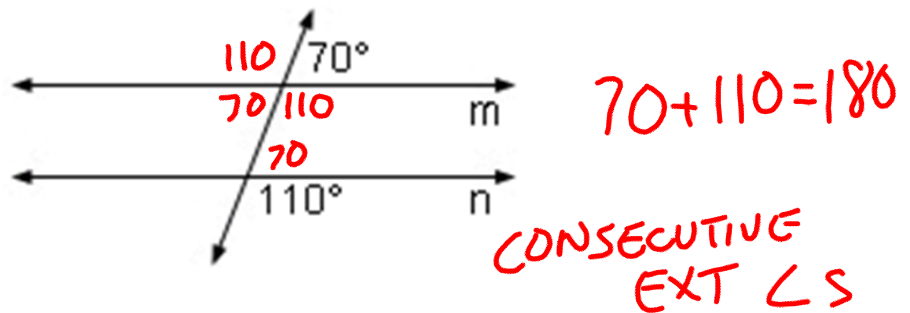
## Transitive Property of Parallel Lines: OR ANGLES

If two lines are parallel to the same line,  
Then they are parallel to each other.



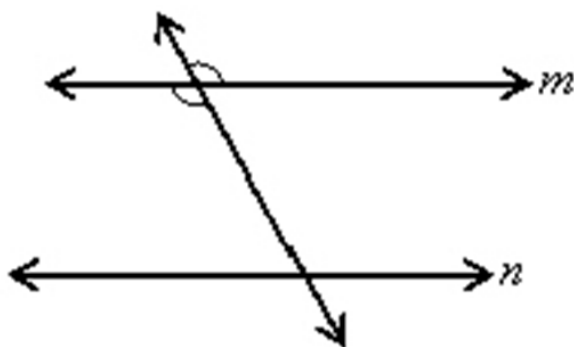
If  $p \parallel q$  and  $q \parallel r$ , then  $p \parallel r$

Is there enough information in the diagram to conclude that  $m \parallel n$ ?



More importantly why or why not?

Can you prove that lines  $m$  and  $n$  are parallel? If so, describe how.



NO

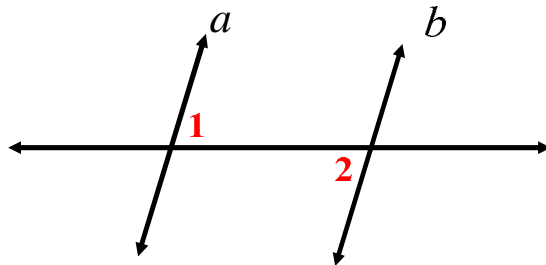
NEED  $\angle$  MEASURES  
FOR LINE N



Can you prove that lines  $a$  and  $b$  are parallel?  
Why or why not?

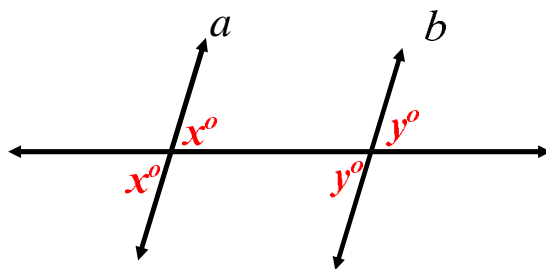
$$m\angle 1 + m\angle 2 = 180^\circ$$

||



NOT  
||

A student concluded that lines  $a$  and  $b$  are parallel? Describe and correct the student's error.



# Intro to proofs

## The art of arguing...

Take a look at the diagram, here is what we know. We know that  $\angle 1 \cong \angle 2$  and  $g \parallel h$ .  
 prove  $p \parallel r$

